

# Static Analysis with Soot

SMA HS 2018

Manuel Leuenberger

PhD student at SCG

[leuenberger@inf.unibe.ch](mailto:leuenberger@inf.unibe.ch)

# Soot is a static analysis framework

- originally an optimization framework (used in compilers)
- understands JVM languages (Java, Android, etc.)
- whole-program analysis (call graph construction)
- dataflow analysis (nullness, array boundary checks)

**...but first some theory**

# Dataflow analysis

- dataflow analysis is a form of abstract interpretation, i.e. reason about some properties of the program state at a certain block
- different types:
  - forward (reaching definitions)
  - backward (liveness)
  - branched (nullness)

# Reaching definitions

```
int gcd(int a, int b) {  
    int c = a;  
    int d = b;  
    if (c == 0) {  
        return d;  
    }  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```

which definitions  
reach here?

# Reaching definitions

- *Which definitions reach a block?*
- used in compiler optimizations
  - constant folding
  - common subexpression elimination
  - use-def/def-use chains

# Potential optimizations

```
int gcd(int a, int b) {  
    int c = a;  
    int d = b;  
    if (c == 0) {  
        return d;  
    }  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```

c = a, parameter a  
not changed  
→ a == 0

# Potential optimizations

```
int gcd(int a, int b) {  
    int c = a;  
    int d = b;  
    if (a == 0) {  
        return d; // d = b, parameter b  
    } // not changed  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```

d = b, parameter b  
not changed  
→ return b

# Potential optimizations

```
int gcd(int a, int b) {  
    int c = a;  
    int d = b;  
    if (a == 0) {  
        return b;  
    }  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```

c, d not used,  
a, b unchanged  
→ allocate later

# Potential optimizations

```
int gcd(int a, int b) {  
    if (a == 0) {  
        return b;  
    }  
    int c = a;  
    int d = b;  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```

a, b only used in  
definition  
→ reuse registers

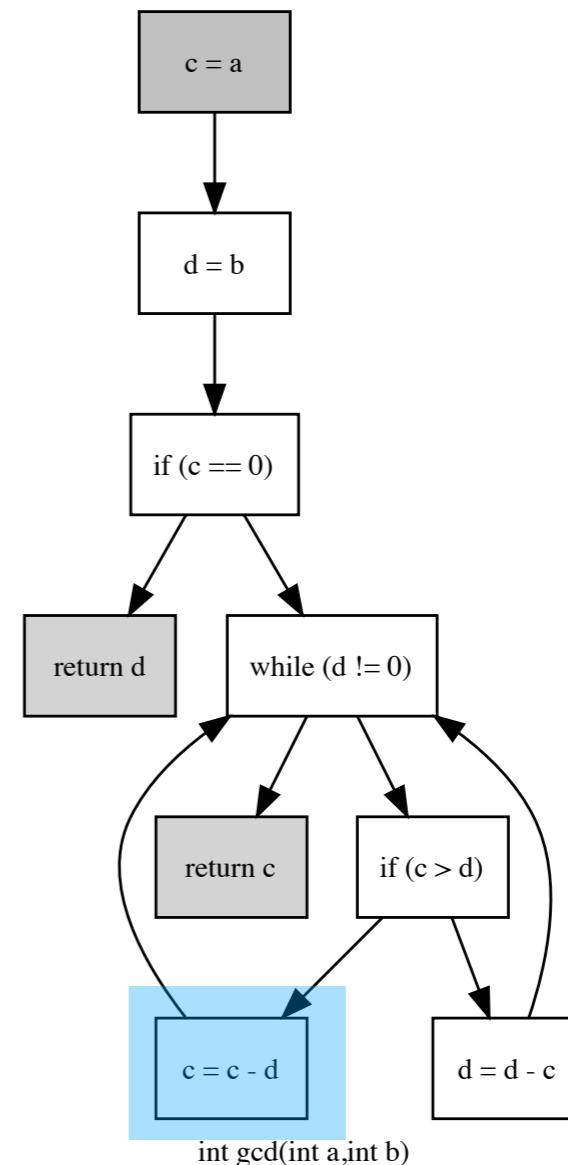
# Potential optimizations

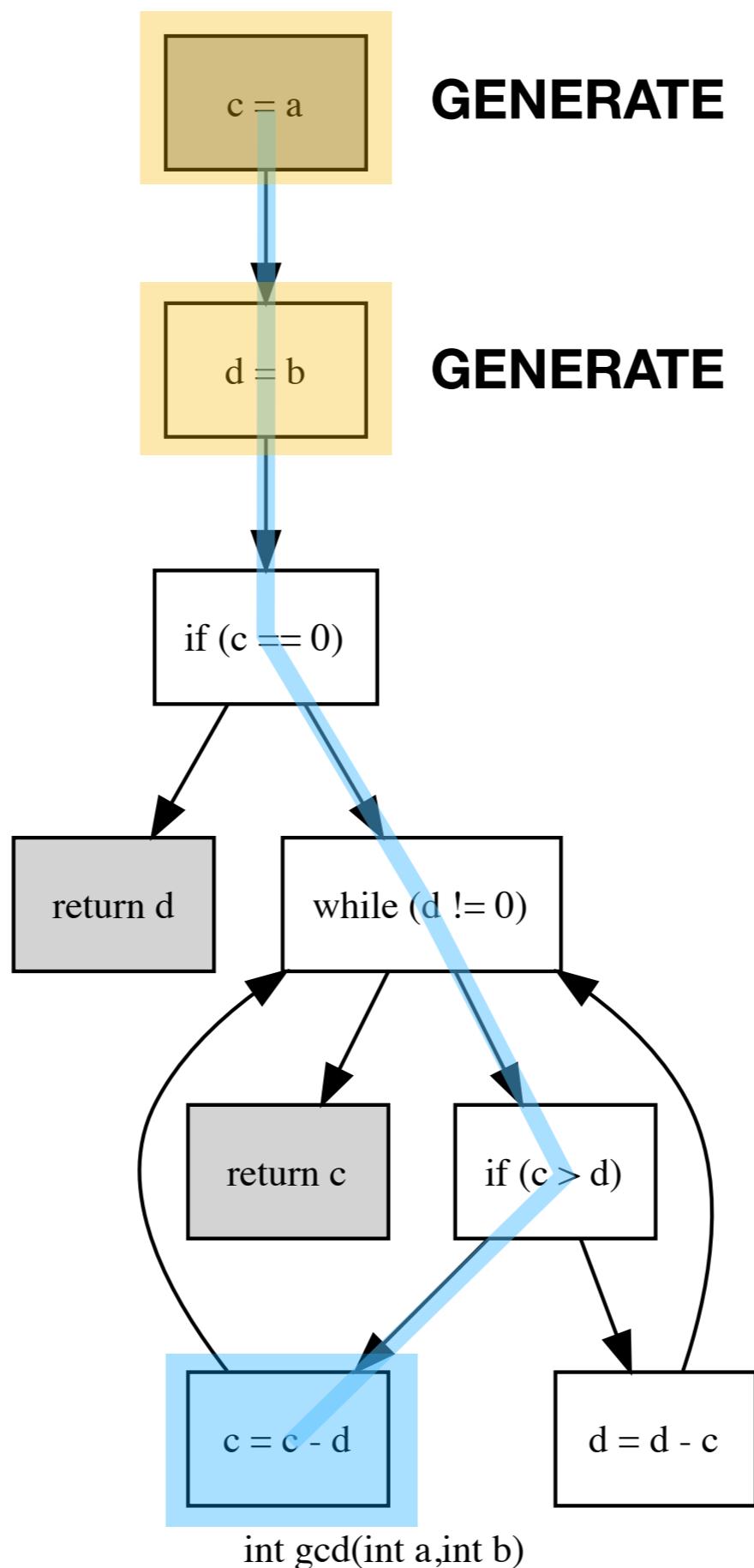
```
int gcd(int a, int b) {  
    if (a == 0) {  
        return b;  
    }  
    while (b != 0) {  
        if (a > b) {  
            a = a - b;  
        } else {  
            b = b - a;  
        }  
    }  
    return a;  
}
```

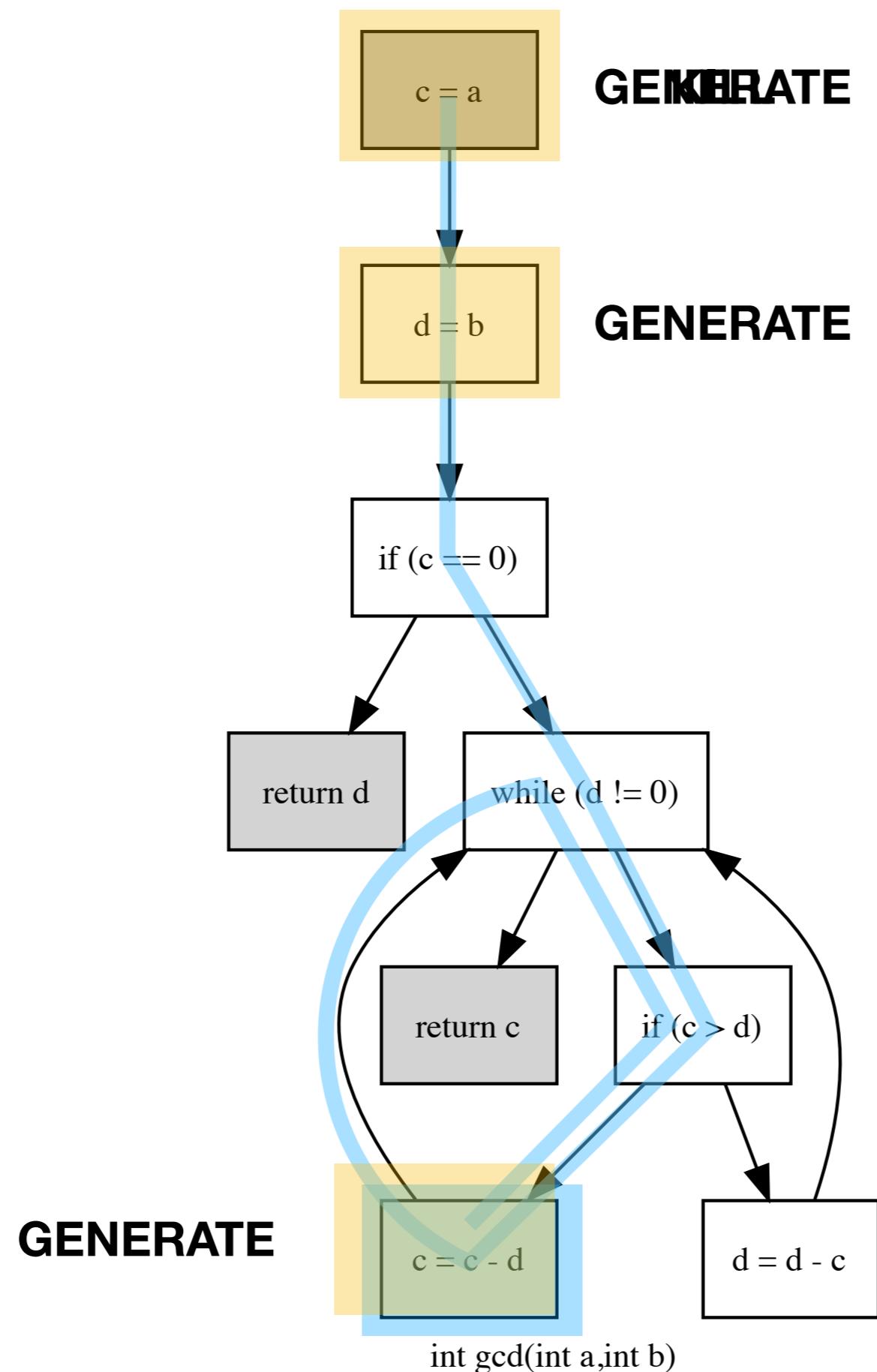
optimized register  
allocation!

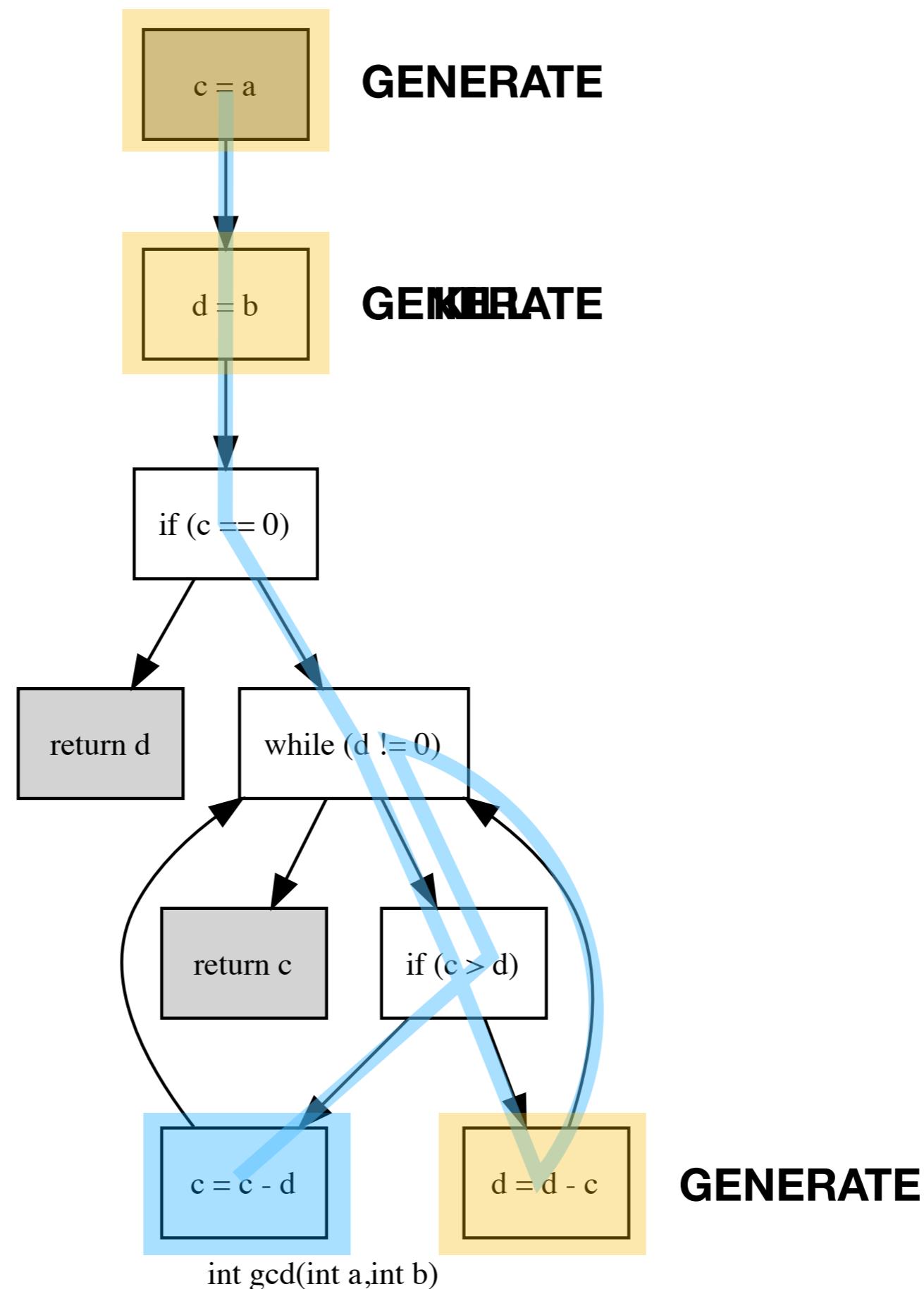
# Control-flow graphs

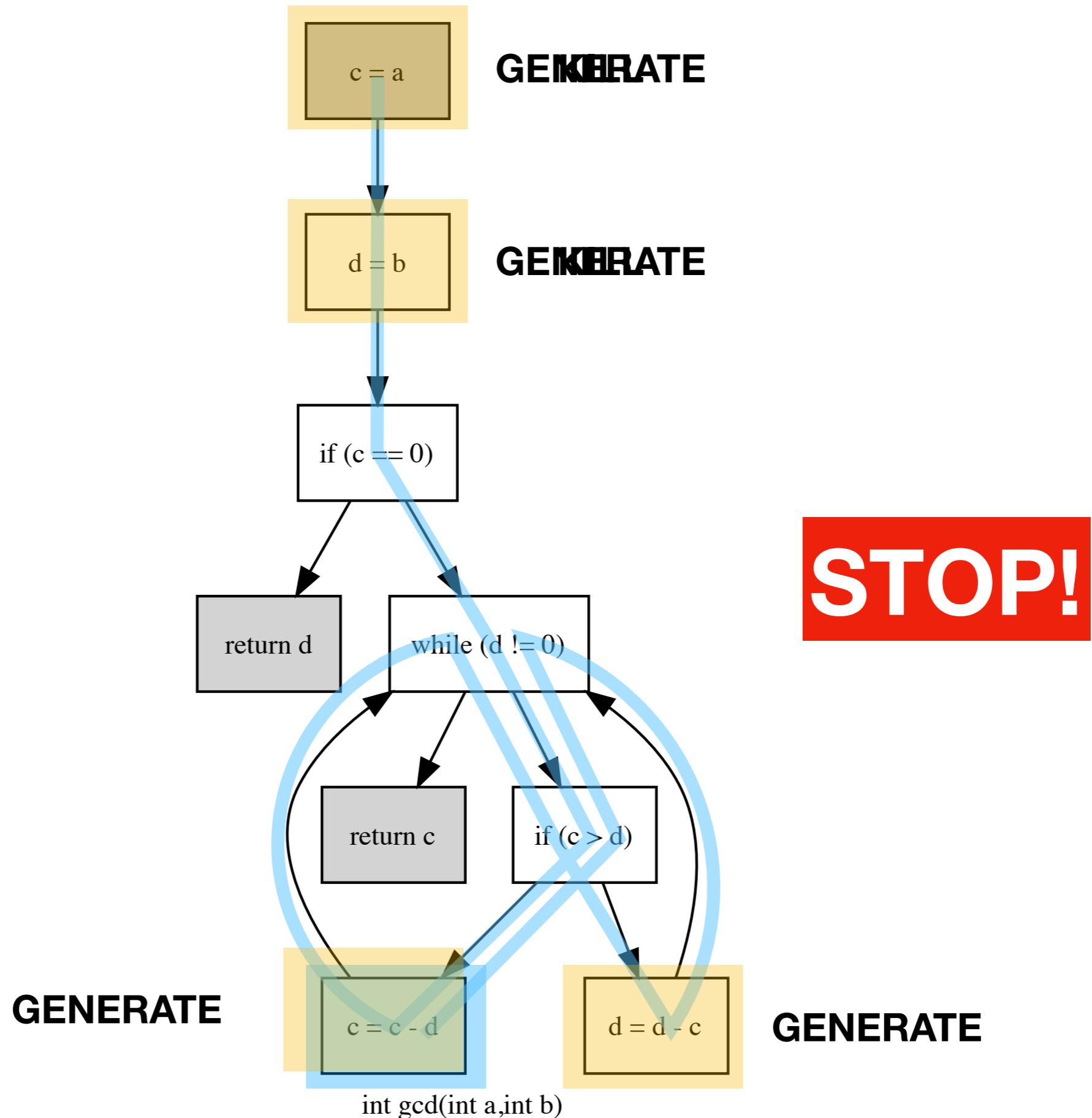
```
int gcd(int a, int b) {  
    int c = a;  
    int d = b;  
    if (c == 0) {  
        return d;  
    }  
    while (d != 0) {  
        if (c > d) {  
            c = c - d;  
        } else {  
            d = d - c;  
        }  
    }  
    return c;  
}
```



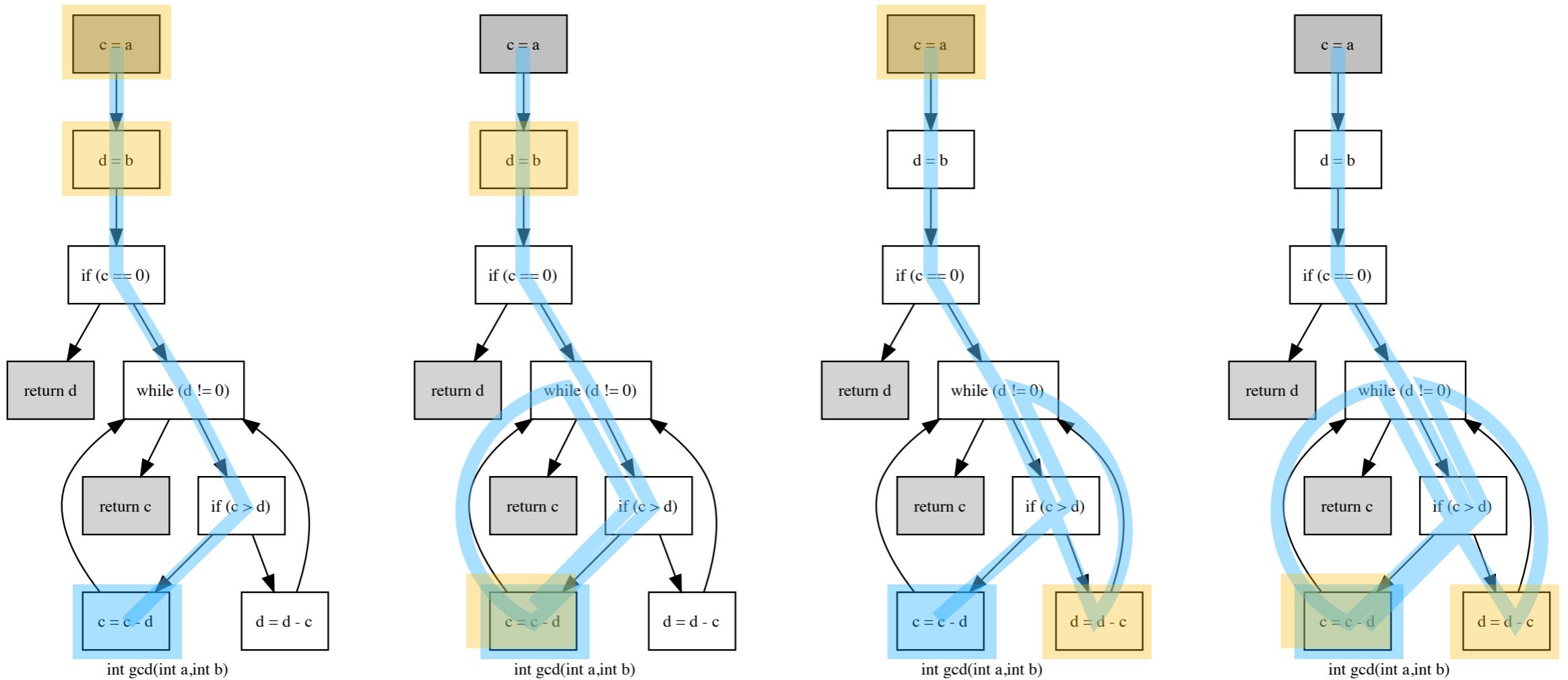




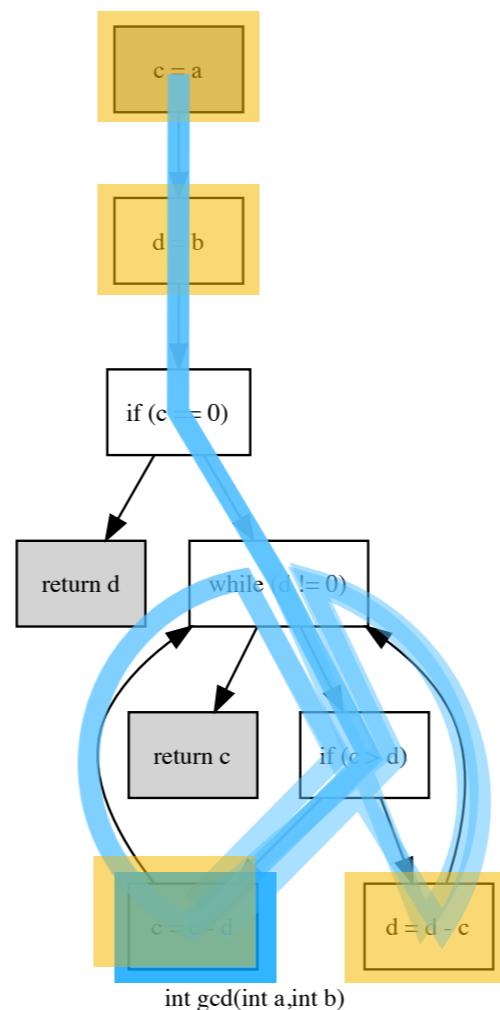


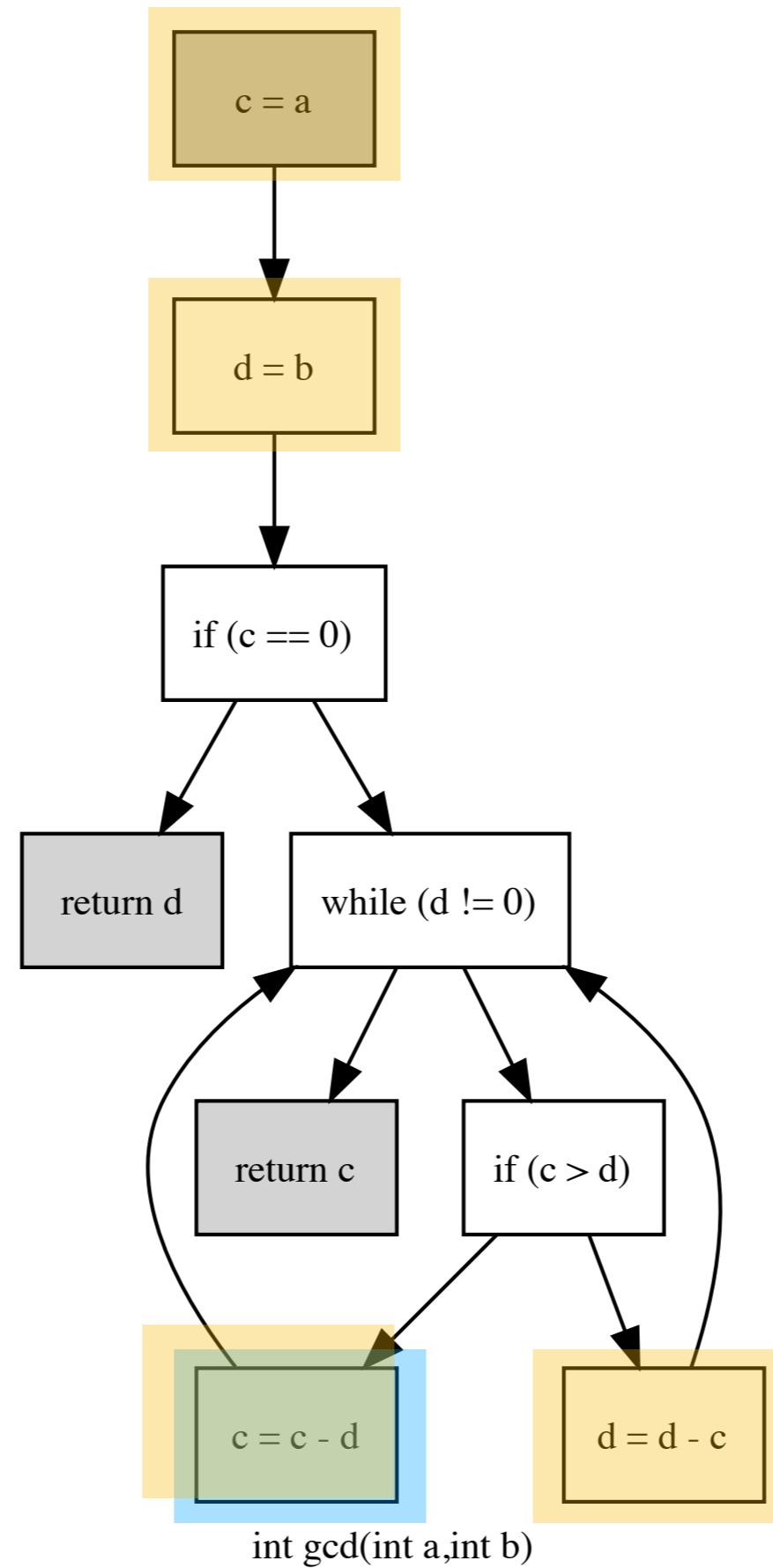


# How to merge?



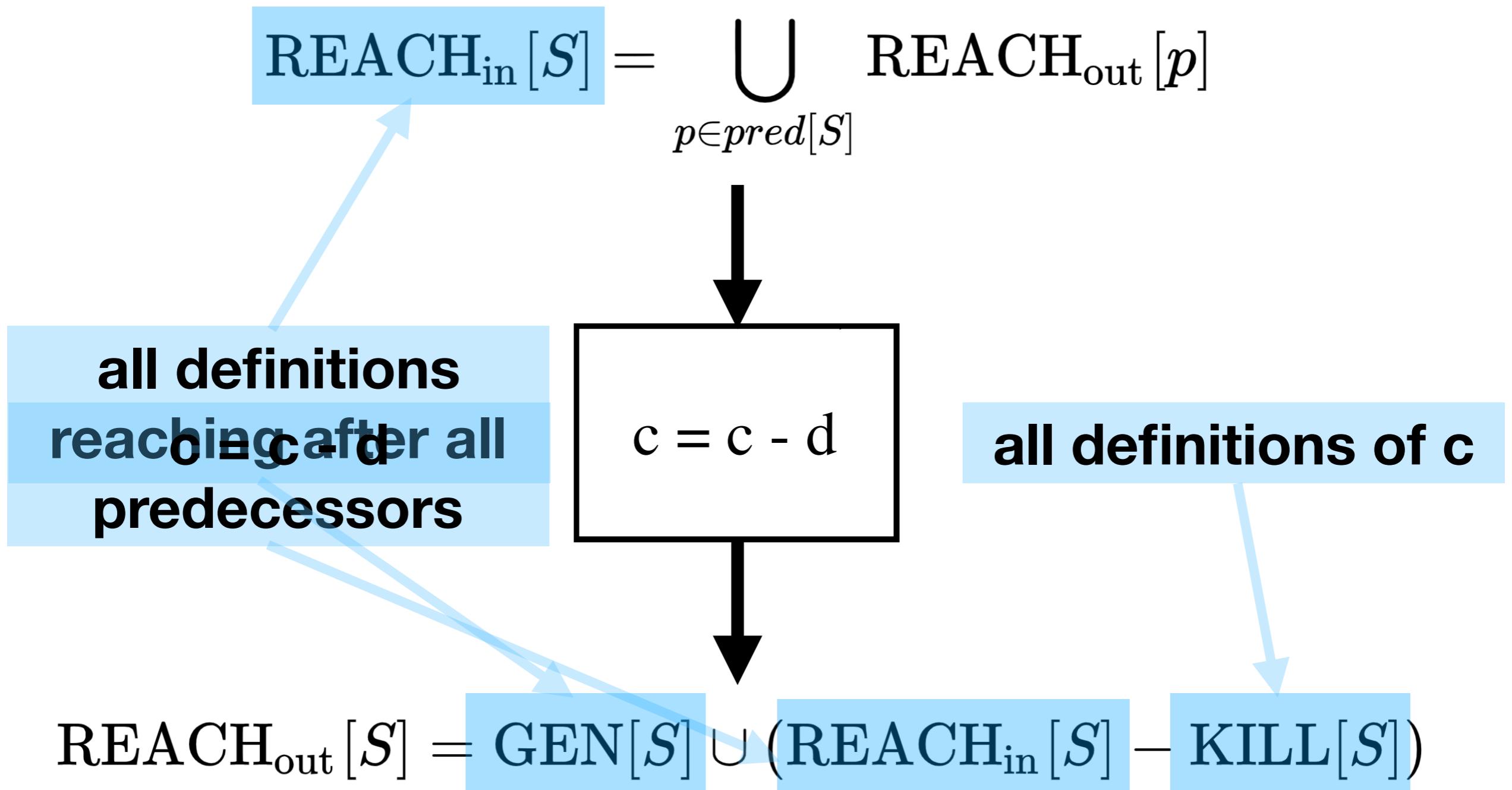
# Union!





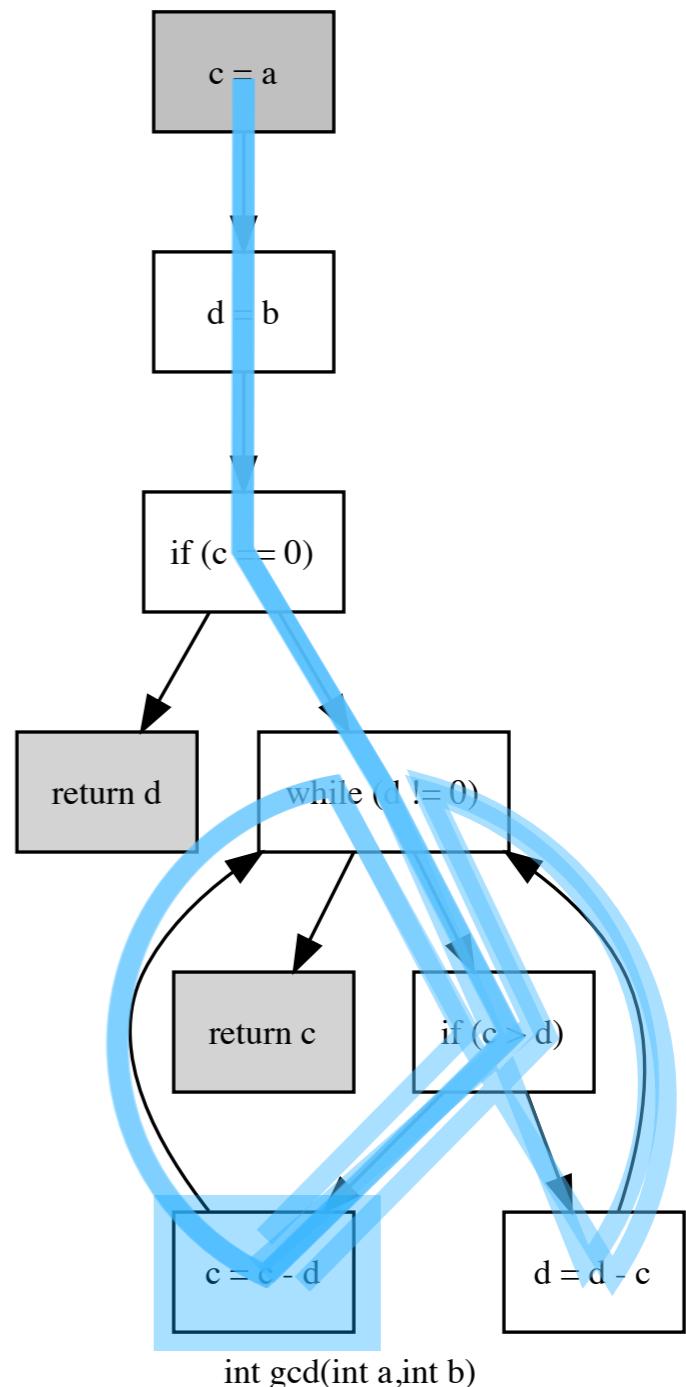
int gcd(int a,int b)

# Dataflow equation



# Dataflow equation solver

- iterative round-robin
- start with initial (empty) set for each block input
- compute output of each block whenever its input (=output of predecessors) change
- repeat until no outputs change



# Ensure convergence

- a block output needs to reach a fix-point...
- ...or the solver never terminates
- “unify towards top of lattice”

$$\text{REACH}_{\text{in}}[S] = \bigcup_{p \in \text{pred}[S]} \text{REACH}_{\text{out}}[p]$$

lattice for each element in REACH, e.g.,  $d = d - c$  :

lattice top: “reaches block”

lattice bottom: “does not reach block”

$$\left\{\begin{smallmatrix} T \\ \perp \end{smallmatrix}\right\} \cup \left\{\begin{smallmatrix} T \\ \perp \end{smallmatrix}\right\} = \left\{\begin{smallmatrix} T \\ \perp \end{smallmatrix}\right\}$$

REACH(out, p1)

REACH(out, p2)

REACH(in, S)

**Enough theory!  
Where is the code?**

Soon...  
.

# Java is complex

```
c = a > 5 ? b : d;
```

# Jimple is simple

```
int gcd(int, int)
{
    ch.unibe.scg.sma.soot.TestClass this;
    int a, b, c, d;
    this := @this: ch.unibe.scg.sma.soot.TestClass;
    a := @parameter0: int;
    b := @parameter1: int;
    c = a;
    d = b;
    if a != 0 goto label3;
    return b;
label1:
    if c <= d goto label2;
    c = c - d;
    goto label3;
label2:
    d = d - c;
label3:
    if d != 0 goto label1;
    return c;
}

int gcd(int a, int b) {
    int c = a;
    int d = b;
    if (c == 0) {
        return d;
    }
    while (d != 0) {
        if (c > d) {
            c = c - d;
        } else {
            d = d - c;
        }
    }
    return c;
}
```

```

int gcd(int, int)
{
    ch.unibe.scg.sma.soot.TestClass this;
    int a, b, c, d;
    this := @this: ch.unibe.scg.sma.soot.TestClass;
    a := @parameter0: int;
    b := @parameter1: int;
    c = a;
    d = b;
    if a != 0 goto label3;
    return b;
label1:
    if c <= d goto label2;
    c = c - d;
    goto label3;
label2:
    d = d - c;
label3:
    if d != 0 goto label1;
    return c;
}

```

**mostly only one thing per statement**

**already optimized! branches...**

**...and jumps**

```

int gcd(int a, int b) {
    int c = a;
    int d = b;
    if (c == 0) {
        return d;
    }
    while (d != 0) {
        if (c > d) {
            c = c - d;
        } else {
            d = d - c;
        }
    }
    return c;
}

```

# A simple IR is crucial!

- small instruction set, i.e. just a few statement types
- statements do one thing only
- flat structure
- one scope per method, no nesting
- many special cases in Java are common cases in Jimple

```

int fib(int)
{
    X this;
    int n, $i0, $i1, $i2, $i3, $i4;
    this := @this: TestClass;
    n := @parameter0: int;
    if n > 1 goto label1;
    return n;
label1:
    $i0 = n - 2;
    $i1 = virtualinvoke this.<X: int fib(int)>($i0);
    $i2 = n - 1;
    $i3 = virtualinvoke this.<X: int fib(int)>($i2);
    $i4 = $i1 + $i3;
    return $i4;
}

```

```

int fib(int n) {
    if (n <= 1) {
        return n;
    }
    return fib(n - 2) + fib(n - 1);
}

```

# Reaching Definitions

- intra-procedural: analyze each method independently
- only look at definitions of locals
- forward flow: knowledge flows along control-flow

$$\text{REACH}_{\text{in}}[S] = \bigcup_{p \in \text{pred}[S]} \text{REACH}_{\text{out}}[p]$$

$$\text{REACH}_{\text{out}}[S] = \text{GEN}[S] \cup (\text{REACH}_{\text{in}}[S] - \text{KILL}[S])$$

# Code!

# Other applications

- Nullness analysis
  - Which values can be null?
  - What is checked for null?
- Protocols
  - How are objects initialized?
  - Which methods do I need to call before doing X?
- Inter-procedural analysis
  - Sinks and sources: Can confidential information leak?